

Miscellaneous

- The R Graph Gallery <https://www.r-graph-gallery.com/>
- Anything previously learned may come up on the current assignment
- Remember you have to let me know what your choice of second journal club paper is by this **Friday**

Statistics Review

2020-07-16

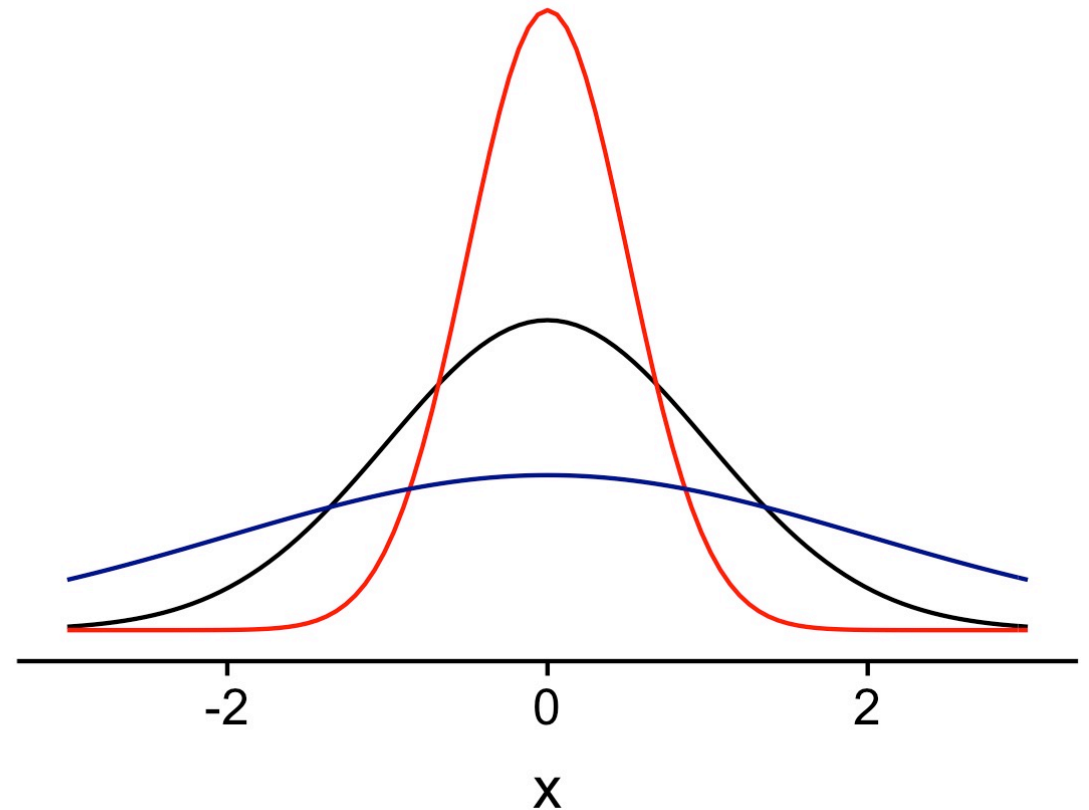
Basic Summary Values

Measures of Central Tendency

- Mean - average
- Median – central value
- Mode – most repeated value

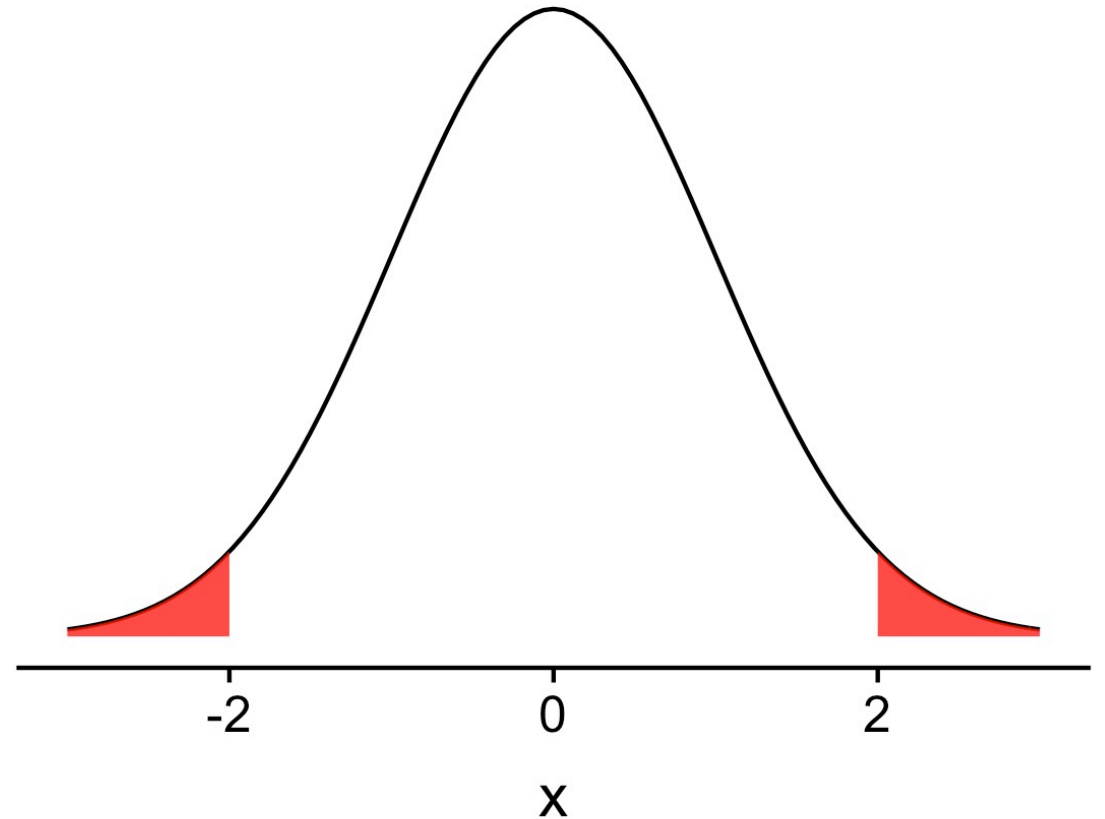
Measures of Spread

- Range – difference between the highest and lowest value
- Standard deviation – measures the dispersion of the data



Hypothesis Testing

- Hypothesis testing compares your data to a pre-determined null distribution (usually the normal distribution). You state a null and alternative hypothesis and calculate the probability your observations happened ***under the null hypothesis***.
- Null hypothesis, **H0**: Everything happened by random chance.
- Alternative hypothesis, **H1**: My observations happened because of my idea.
- Saying p-value = 0.05 means that there's a 5% chance the observation happened randomly under the null distribution.



Test for Continuous Data: one sample t-test

- For testing continuous values against some known mean
- I have an iris with a sepal length of 7 inches and I think that it's because of my new iris fertilizer. Is that iris' sepal length abnormally large?
 - **H0**: There's nothing different about the fertilizer.
 - **H1**: The fertilizer does increase iris sepal length.

```
> t.test(iris$Sepal.Length, mu = 5.8)
```

```
One Sample t-test
```

```
data: iris$Sepal.Length
```

```
t = 0.64092, df = 149, p-value = 0.5226
```

```
alternative hypothesis: true mean is not  
equal to 5.8
```

```
95 percent confidence interval:
```

```
5.709732 5.976934
```

```
sample estimates:
```

```
mean of x
```

```
5.843333
```

Test for Continuous Data: two sample t-test

- For testing 2 continuous values against each other
- Is there a difference between the sepal lengths of versicolor and virginica irises?
 - **H0**: There's no difference in the mean sepal lengths.
 - **H1**: There is a difference in the mean sepal lengths.

```
> t.test(iris[iris$Species == 'versicolor',1],  
iris[iris$Species == 'virginica', 1])
```

```
Welch Two Sample t-test
```

```
data: iris[iris$Species == "versicolor", 1]  
and iris[iris$Species == "virginica", 1]
```

```
t = -5.6292, df = 94.025, p-value = 1.866e-07
```

```
alternative hypothesis: true difference in  
means is not equal to 0
```

```
95 percent confidence interval:
```

```
-0.8819731 -0.4220269
```

```
sample estimates:
```

```
mean of x mean of y
```

```
5.936      6.588
```

Test for Continuous Data: paired two sample t-test

- For testing 2 continuous values against each other *when there is some natural pairing between the samples*
- The sleep dataset in R has data on the amount of time patients sleep on two different sleep medications compared to control. Is there a difference between the two medications?
 - **H0:** There is no difference in the amount of time patients sleep.
 - **H1:** There is a difference in the amount of time patients sleep.

```
> t.test(extra ~ group, data = sleep,  
         paired = TRUE)
```

```
Paired t-test
```

```
data: extra by group
```

```
t = -4.0621, df = 9, p-value = 0.002833
```

```
alternative hypothesis: true difference  
in means is not equal to 0
```

```
95 percent confidence interval:
```

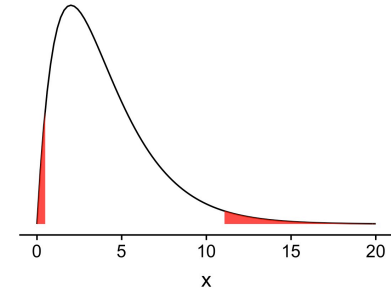
```
-2.4598858 -0.7001142
```

```
sample estimates:
```

```
mean of the differences
```

```
-1.58
```

Test for Discrete Data: chi-square



- Test for when you have counts of discrete data; test expected counts against observed counts
- Are babies more likely to be born on one day of the week over other days of the week?
 - **H0**: There is an equal chance of babies being born every day
 - **H1**: There isn't an equal chance of babies being born every day

```
> chisq.test(birth_days$num_births,  
p = birth_days$exp_prob_birth)
```

Chi-squared test for given probabilities

```
data:  birth_days$num_births  
X-squared = 15.057, df = 6, p-value  
= 0.01982
```


The Multiple Testing Problem

- If you do enough tests, you expect to see significant results, just *by random chance*
- Say you flip a coin 10 times and record the number of heads you get. Then you repeat the “experiment” 10 times. You expect to get about heads about 5 times

5 5 6 4 2 4 5 5 4 4

- Now let’s do it 100 times

5 6 5 4 5 7 6 5 5 5 5 5 7 3 5 6 6 4 5 6

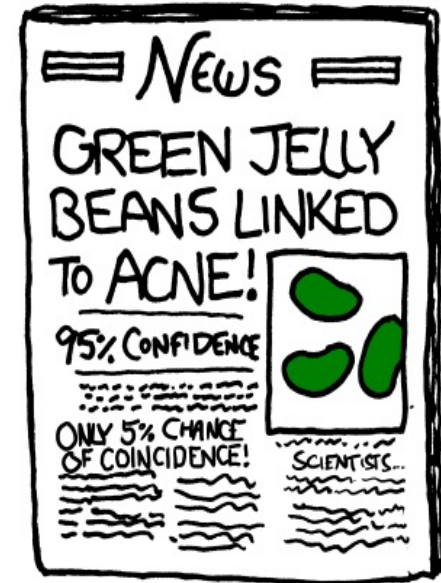
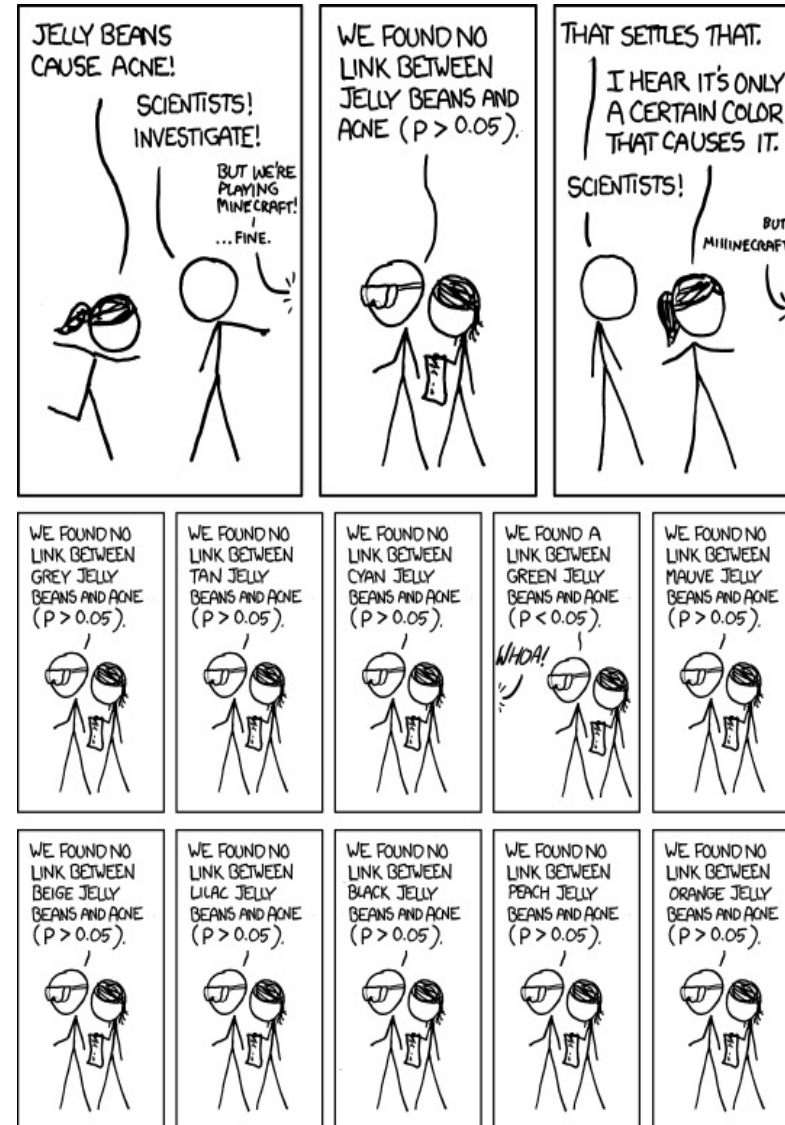
4 3 6 5 6 5 5 6 6 2 5 5 3 6 **9** 6 6 3 6 4

6 5 3 3 4 2 4 4 4 4 7 7 4 3 7 3 3 1 6 4

5 6 3 4 5 6 4 **8** 5 5 7 2 4 4 7 6 4 3 5 5

4 4 7 4 5 4 3 4 5 4 **8** 5 6 2 6 6 4 5 3 7

- Have to correct for multiple testing when you test, for example, all 20,000 genes in the human genome for differences



Pairwise Test for Multiple Conditions: ANOVA

- For testing more than continuous values against all combinations of each other
- Is there a difference in sepal length between the three species of iris in the iris dataset?
 - **H0**: There is no difference
 - **H1**: There is a difference between at least one group

```
> aov(Sepal.Length ~ Species, data = iris) %>%  
TukeyHSD()
```

```
Tukey multiple comparisons of means  
95% family-wise confidence level
```

```
Fit: aov(formula = Sepal.Length ~ Species, data =  
iris)
```

```
$Species
```

	diff	lwr	upr	p	adj
versicolor-setosa	0.930	0.6862273	1.1737727		0
virginica-setosa	1.582	1.3382273	1.8257727		0
virginica-versicolor	0.652	0.4082273	0.8957727		0

Test for Continuous Conditions: Linear Model

- For testing continuous variables over a continuous condition (like DNA methylation over time)
- AKA finding a line of best fit
- Is there an association between sepal width and sepal length in the iris dataset?
 - **H0**: There is no relationship
 - **H1**: There is a relationship

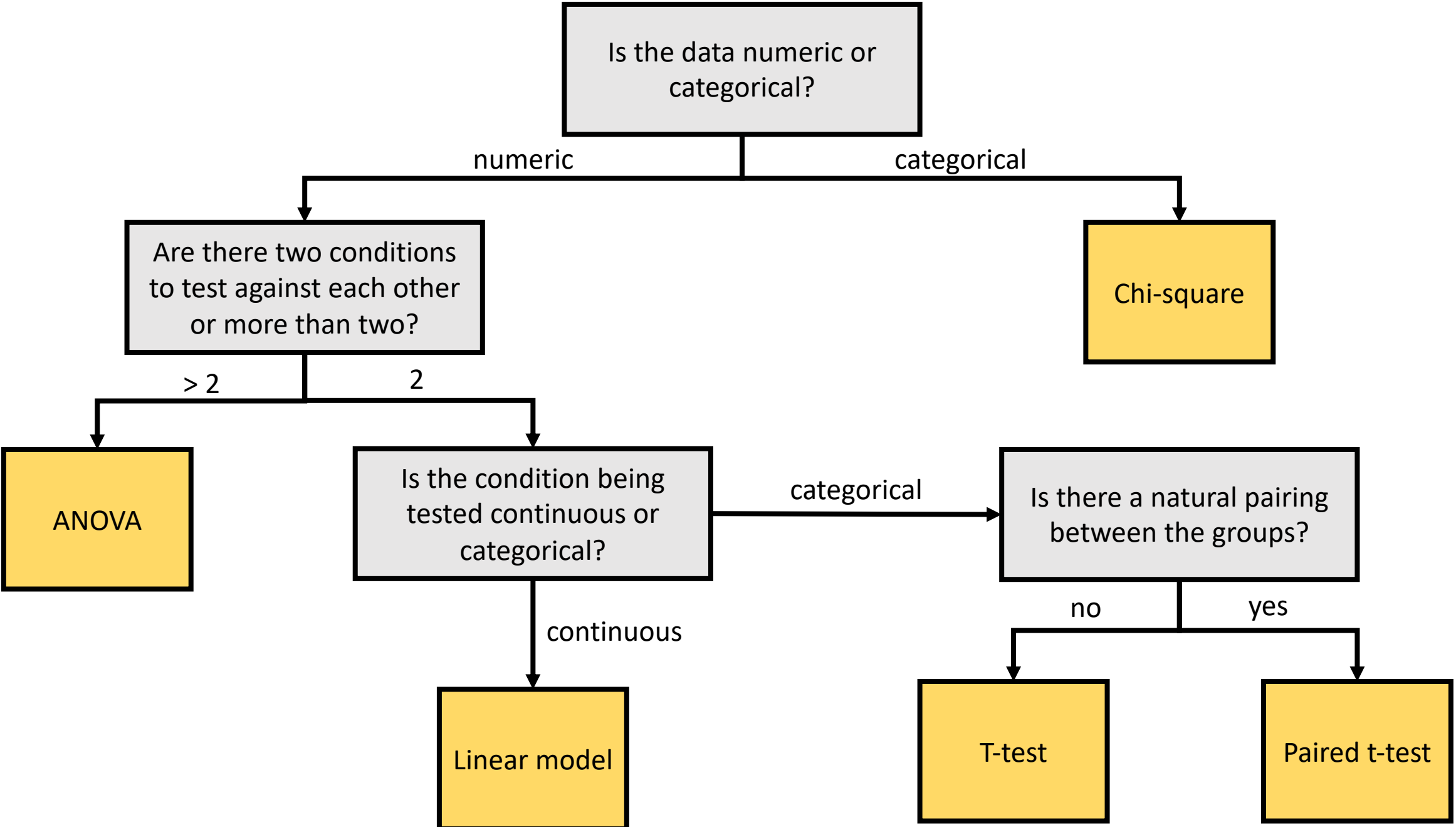
```
> lm(Sepal.Length ~ Sepal.Width, data = iris)
```

```
Call:
```

```
lm(formula = Sepal.Length ~ Sepal.Width, data = iris)
```

```
Coefficients:
```

```
(Intercept)  Sepal.Width  
        6.5262        -0.2234
```



DEMO